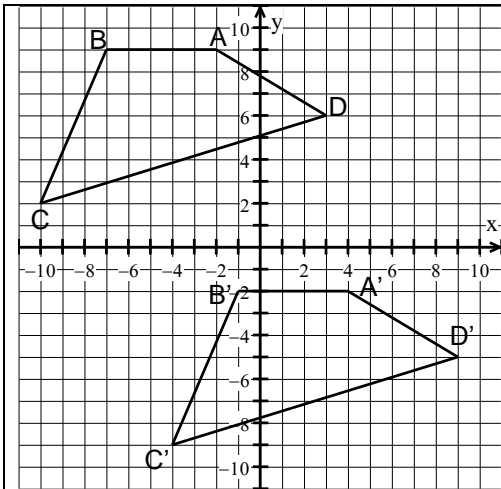


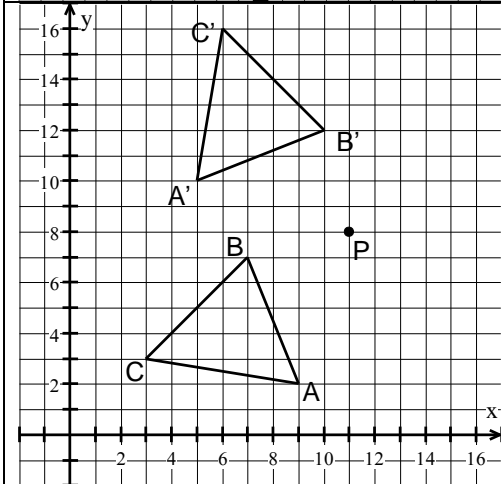
Rigid Transformations

Rigid transformation: A movement that *preserves* the *distance* and *angle measures* of a shape. That is, it *preserves* the *size* and *shape* of the pre-image to the image.



Translation: A transformation that moves a set of points the *same distance* along *lines that are parallel* to each other.

Segments connecting points from corresponding points of the pre-image to image are:

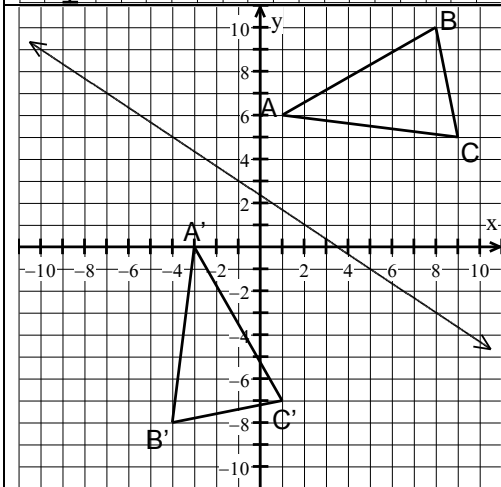


Rotation: a transformation that moves points along *concentric circles* through the *same angle of rotation* around a fixed point.

Corresponding points are:

$\triangle ABC$ is rotated 90° clockwise about point P.

Slope of \overline{AP} =	Slope of $\overline{A'P}$ =
Slope of \overline{BP} =	Slope of $\overline{B'P}$ =
Slope of \overline{CP} =	Slope of $\overline{C'P}$ =

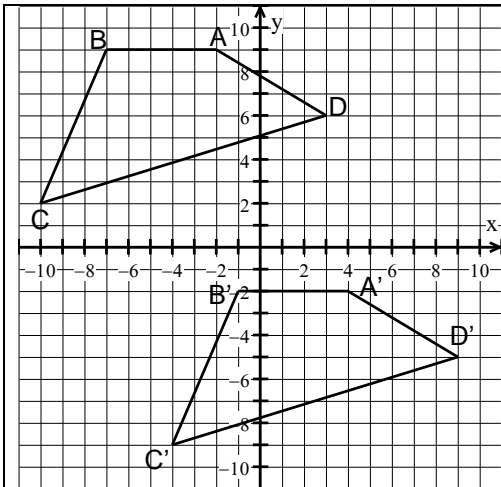


Reflection: a transformation that *flips* a set of points across a specific *line of reflection* such that the *line of reflection* is the *perpendicular bisector* of each *line segment* connecting the pre-image and corresponding image points.

Segments connecting points from corresponding points of the pre-image to image are:

Rigid Transformations

Rigid transformation: A movement that *preserves* the *distance* and *angle measures* of a shape. That is, it *preserves* the *size* and *shape* of the pre-image to the image.



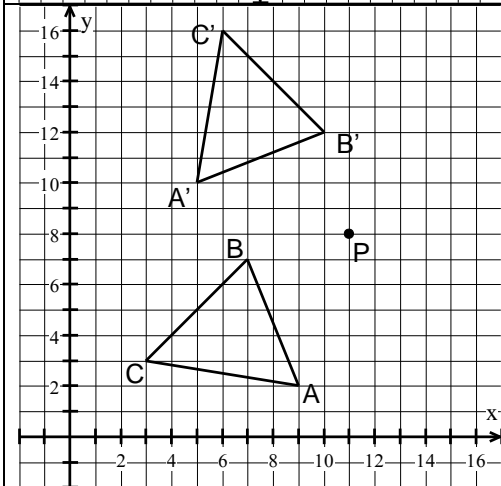
Translation: A transformation that moves a set of points the *same distance* along *lines that are parallel* to each other.

Segments connecting points from corresponding points of the pre-image to image are:

- *parallel
- $m = -11/6$
- *congruent

$$F(x, y) \rightarrow (x + 6, y - 11)$$

(draw in segments)



Rotation: a transformation that moves points along *concentric circles* through the *same angle of rotation* around a fixed point.

Corresponding points are: **connected by concentric arcs with the same degree measure.**

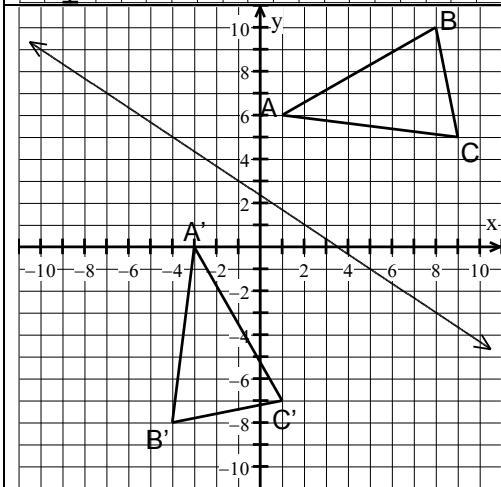
$\triangle ABC$ is rotated 90° clockwise about point P.

$$\text{Slope of } \overline{AP} = \quad \text{Slope of } \overline{A'P} =$$

$$\text{Slope of } \overline{BP} = \quad \text{Slope of } \overline{B'P} =$$

$$\text{Slope of } \overline{CP} = \quad \text{Slope of } \overline{C'P} =$$

Only if $\triangle ABC$ is rotated 90° or 270° , the slopes are opposite reciprocals (draw in segments and arcs)



Reflection: a transformation that *flips* a set of points across a specific *line of reflection* such that the *line of reflection* is the *perpendicular bisector* of each *line segment* connecting the pre-image and corresponding image points.

Segments connecting points from corresponding points of the pre-image to image are:

- *bisected by line of reflection (draw in segments)
- *parallel to each other

$$\text{Slope of } \overline{AA'}, \overline{BB'}, \overline{CC'} = 3/2$$

*perpendicular to line of reflection

$$\text{Function for line of symmetry; } f(x) = 3/2(x-2)+1$$