

* **Inequality** implies a larger **SET OF SOLUTIONS** (includes **SHADING** on a graph!)

Solving and Graphing Linear Inequalities

A **linear inequality** describes a region on a coordinate plane that has a **boundary line**.
(DIVIDING LINE: = EXACT) splits the coordinate plane into points that are **TRUE & False**.
 The solutions to a linear inequality are the set of points that make the inequality **TRUE**.

For $y <$ and $y >$, you use a **dashed** line. (Points on the line **are NOT** solutions.)

For $y \leq$ and $y \geq$, you use a **solid** line. (Points on the line **are** solutions.)
= of exact ... dividing line points are part of SOLUTION

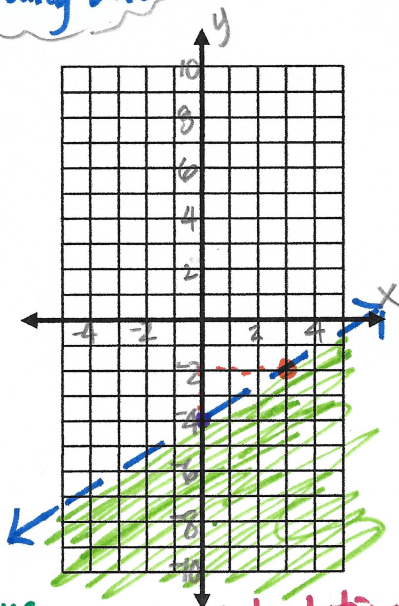
Graph the inequality: $y < \frac{2}{3}x - 4$ (slope int)

- Graph the **Dividing Line**
- Dashed line ($<$)
- Shade **TRUE SIDE** of **Dividing Line**

$m = \frac{2}{3}$

y int: $(0, -4)$

"The output is **BELOW** the line."



Solutions
 $(0, -8), (3, 0)$
 $(\frac{1}{2}, -8) \dots$ etc

Not solutions
 $(0, 0), (0, 4)$
 $(-5, 10)$ etc...

Graph the inequality: $8x - 4y \leq 12$

Find intercepts of **Dividing Line**

Solid line (\leq)

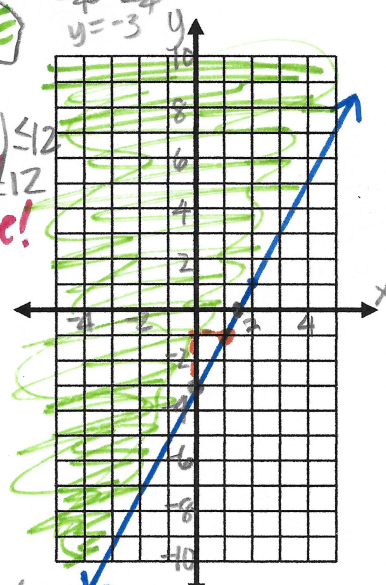
Test point not on dividing line

Shade **TRUE SIDE**
Test $(0, -8)$

$8(0) - 4(-8) \leq 12$
 $0 + 32 \leq 12$
False!

Standard Form
 Since **NOT y form**, inequality symbol can be misleading
(TEST POINT!)

x int: $(y=0)$
 $\frac{8x}{8} = \frac{12}{8}$
 $x = \frac{3}{2} (\frac{3}{2}, 0)$
 y int: $(x=0)$
 $\frac{-4y}{-4} = \frac{12}{-4}$
 $y = -3 (0, -3)$



OR
 Put in y form

$8x - 4y \leq 12$
 $-8x - 8x$
 $\frac{-4y}{-4} \leq \frac{-8x + 12}{-4}$
 $y \geq 2x - 3$ $m=2$ $y \text{ int: } (0, -3)$

"The outputs are **ABOVE** or on the line"

* There are an **INFINITE # of solutions** in the solution set! (even ones not visible)