## Triangle Congruence Properties

Need $\qquad$ corresponding pairs of congruent parts to guarantee triangles are congruent!

| Side-Angle Relationship | Picture | Guarantees Congruence? |
| :---: | :---: | :---: |
| SSS <br> SIDE-SIDE-SIDE <br> Three pairs of congruent sides |  |  |
| SAS <br> SIDE-ANGLE-SIDE <br> Two pairs of congruent sides and one pair of congruent angles (and the angles are between the pairs of sides) |  |  |
| ASA <br> ANGLE-SIDE-ANGLE <br> Two pairs of congruent angles and one pair of congruent sides (and the sides are between the pairs of angles) |  |  |
| AAS (or SAA) <br> ANGLE- ANGLE-SIDE <br> Two pairs of congruent angles and one pair of congruent sides (but the sides are NOT between the pairs of angles) |  |  |
| SSA (or ASS) <br> Two pairs of congruent sides and one pair of congruent angles (but the angles are NOT between the pairs of sides) |  | NO <br> More than one triangle is possible. |
| AAA <br> Three pairs of congruent angles |  | NO <br> There is no guarantee the corresponding sides are congruent. |

## More on Triangle Congruence

Once we find three corresponding pairs of congruent parts to $\qquad$
$\qquad$ , then we know $\qquad$ corresponding parts of those congruent triangles are $\qquad$ !

Using SAS example from "Triangle Congruence Properties" Entry:
Before, we determined that:
$\overline{A C} \cong \overline{X Z}$

$\angle C \cong \angle Z$
$\overline{B C} \cong \overline{Y Z}$
so, $\triangle A B C \cong \triangle X Y Z$ by SAS.
Since the triangles are guaranteed to be congruent,
then we can now guarantee that $\qquad$ ,
$\qquad$ , and $\qquad$ because .

A few additional things may come up when trying to prove triangles congruent:

- Sometimes two triangles can SHARE a side. Even if they are not marked, these pieces can be guaranteed congruent because anything is congruent to ITSELF. In math, we call this the $\qquad$ .
- Sometimes in order to be clear about which specific angle we are referring to, we need to use a $\qquad$ letter name instead of a single letter. This is necessary when you have more than one angle with the same $\qquad$ .

Example: Is $\triangle M A H \cong \triangle T A H ?$


There are two pieces marked:
$\overline{M A} \cong \overline{T A}$
(To say $\angle A \cong \angle A$ would not be correct because
they are NOT the exact same piece!)
Only two congruent corresponding parts is NOT enough information to $\qquad$ !
But, we also know $\qquad$ by $\qquad$ .
So we can conclude $\qquad$ by $\qquad$ .

