

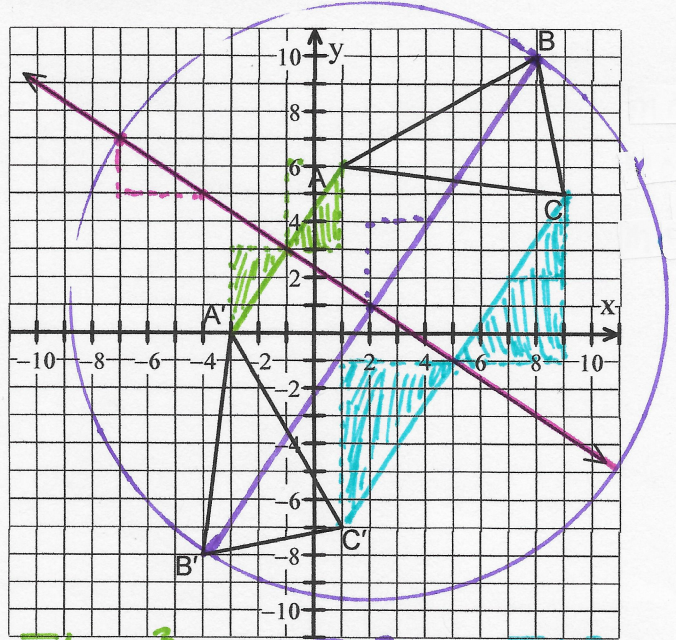
Rigid Transformation Reflection

Rigid transformation: A movement that preserves the **distance** and **angle measures** of a shape. That is, it *preserves* the *size* and *shape* of the pre-image to the image.

$$B \leftrightarrow B'$$

Reflection: A transformation that flips a set of points across a specific Line of Reflection such that the line is the perpendicular bisector of segments connecting corresponding points of the pre-image and image.

A reflection is specifically described by the Line of Reflection.



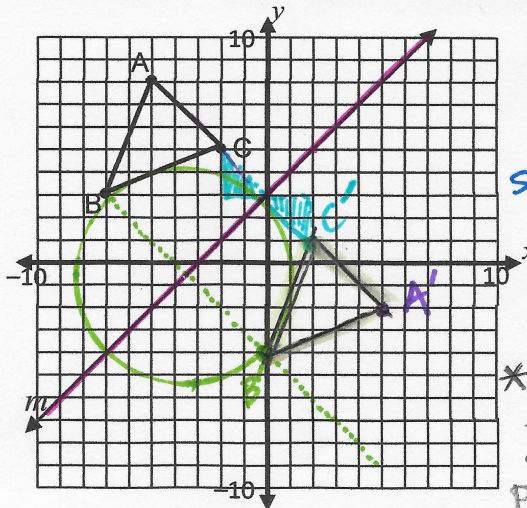
$$m \text{ of } AA': m = \frac{3}{2}; m \text{ of } BB' = \frac{3}{2}; m \text{ of } CC' = \frac{3}{2}$$

- Segments connecting corresponding points of the pre-image to image are:

 - Perpendicular to the line of reflection
(\perp slopes \rightarrow opposite reciprocals)
 - line of reflection: $m = -\frac{2}{3}$
 - slopes of segments: $\perp m = \frac{3}{2}$
 - bisected by the line of reflection
(distance from pre image to L of R is = from L of R to image)
 - * Pythagorean Thm OR circle

Example: Reflect $\triangle ABC$ across line m and list the new vertices.

- $A': (5, -2)$
 $B': (0, -4)$
 $C': (2, 1)$



line of reflection:
 $m = 1$

segments connecting
corresponding
preimage & image points
 $m = -1$

*If using circle for distance from line of reflection, be sure to center at the point of intersection of the segment & line of reflection, with radius = to distance from pre image to point of intersection.