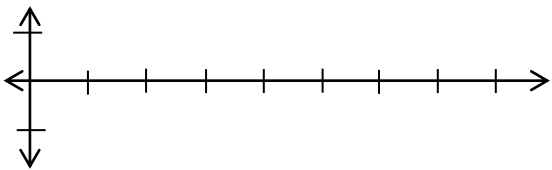


# Sine and Cosine Graphs

Graph  $y = \sin x$

Amplitude:

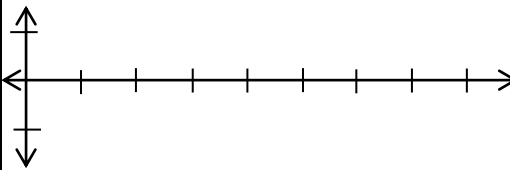
Period:



Graph  $y = \cos x$

Amplitude:

Period:



Now we will look at some transformations to these functions. *We will save horizontal translations for a later lesson.* The equations we will work with today will look like either  $y = a \sin(bx) + k$  or  $y = a \cos(bx) + k$ . But what impact does each piece have on the graphs of sine or cosine?

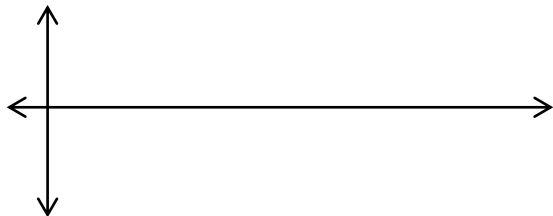
- $|a|$  is the \_\_\_\_\_ and represents the stretch factor. The amplitude is half the vertical distance between the maximum height (\_\_\_\_\_) and the lowest height (\_\_\_\_\_). If  $a < 0$ , the function is reflected vertically.
- $k$  is the vertical shift. If  $k$  is positive, the graph is translated  $k$  units \_\_\_\_\_. If  $k$  is negative, the graph is translated  $k$  units \_\_\_\_\_.
- $b$  is the \_\_\_\_\_ and changes the \_\_\_\_\_ of the function (How long it takes to complete one cycle.). It takes \_\_\_\_\_ degrees for  $y = \sin x$  or  $y = \cos x$  to complete one cycle. Therefore  $period = \frac{360^\circ}{b}$  or  $b = \frac{360^\circ}{period}$ .

Graph  $y = 3 \sin(2x)$

Amplitude:

Vertical shift:

Period:

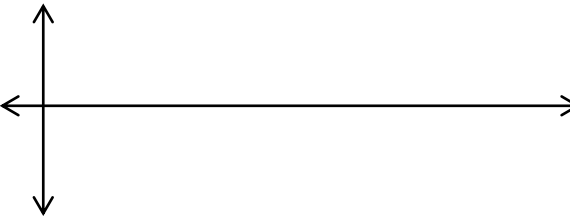


Graph  $y = 2 \cos x - 1$

Amplitude:

Vertical shift:

Period:

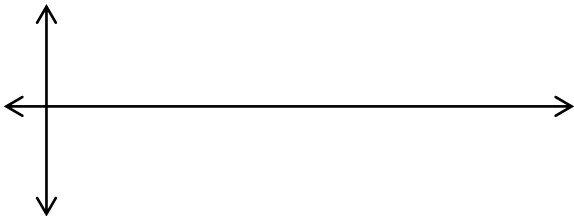


Graph  $y = -\sin\left(\frac{x}{2}\right) + 2$

Amplitude:

Vertical shift:

Period:



Graph  $y = \cos(4x)$

Amplitude:

Vertical shift:

Period:

